

# Method for Transforming Continuous PM2.5 Monitoring Data for Comparison with the FRM



***Michael Rizzo<sup>a</sup>, Peter Scheff<sup>b</sup>, and  
William Kaldy<sup>c</sup>***

***<sup>a</sup>USEPA Region 5, Air Monitoring***

***<sup>b</sup>University of Illinois – Chicago School of Public  
Health, Environmental and Occupational  
Health Sciences***

***<sup>c</sup>Hamilton County, OH Department of  
Environmental Services***



# Data

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- Looked at a variety sites from across country
  - All TEOMs
  - Variations in methodology
    - Season
    - Correction factors
- Sites with more than 1 year's worth of data
  - Collocated PM2.5 FRM and continuous method
  - Needed at least 63 samples across entire year to create model and  $R^2$  at least 0.77
    - Based on USEPA DQOs
  - “Surplus” data used to validate model



# Data

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- Valid days had 18 out of 24 hours
  - All variables had to meet requirement
- Model development
  - Hourly PM2.5 averaged over 24 hours
  - 24 hour FRM measurement
  - 24 hour average temperature
    - Collected from FRM monitor



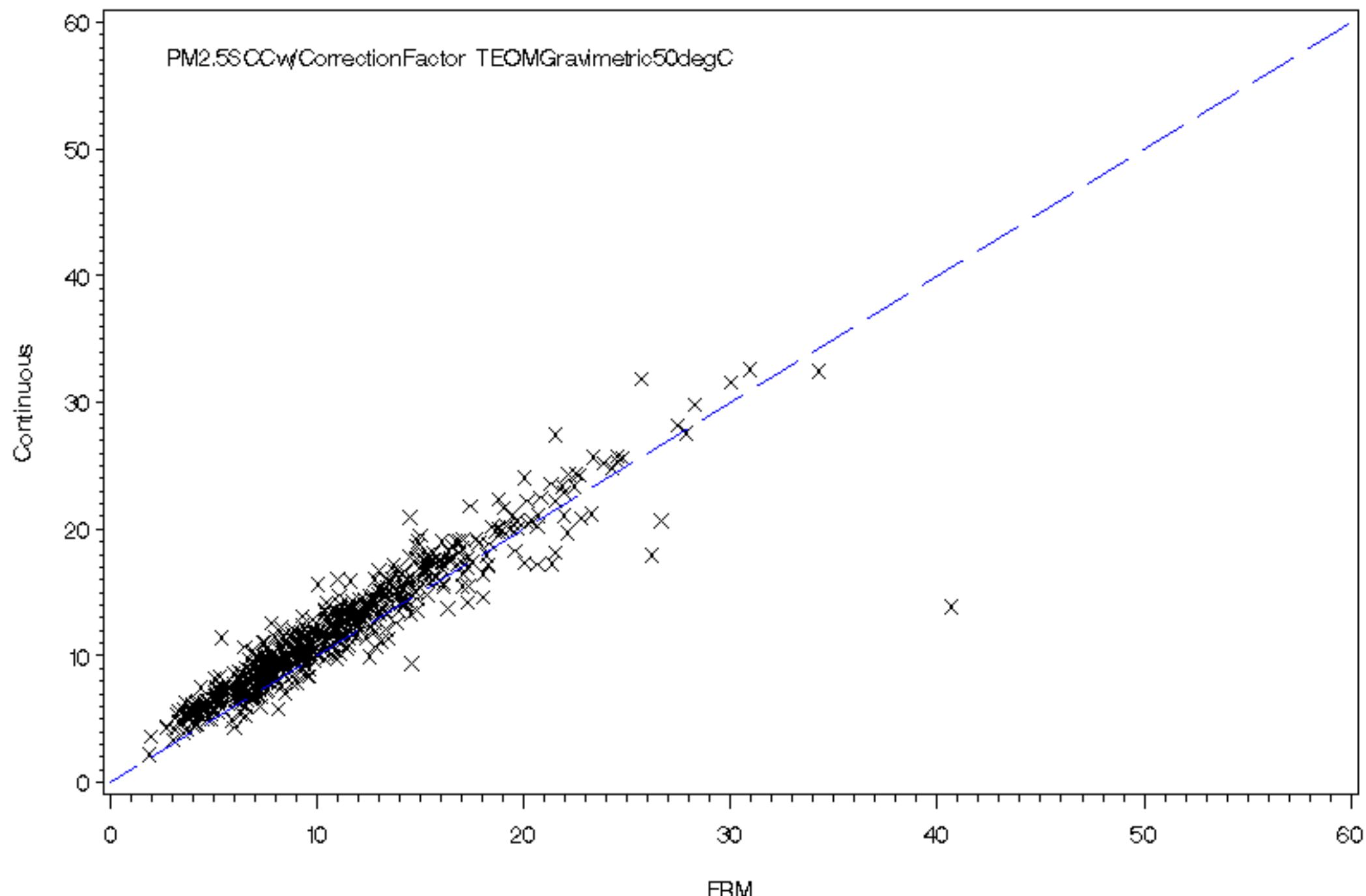
# Validation

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- National Weather Service temperatures
  - 2000 through 2001
- Closest met station temperatures
  - 2002
- Examined hourly transformations averaged over 24 hours
  - Compared to FRM

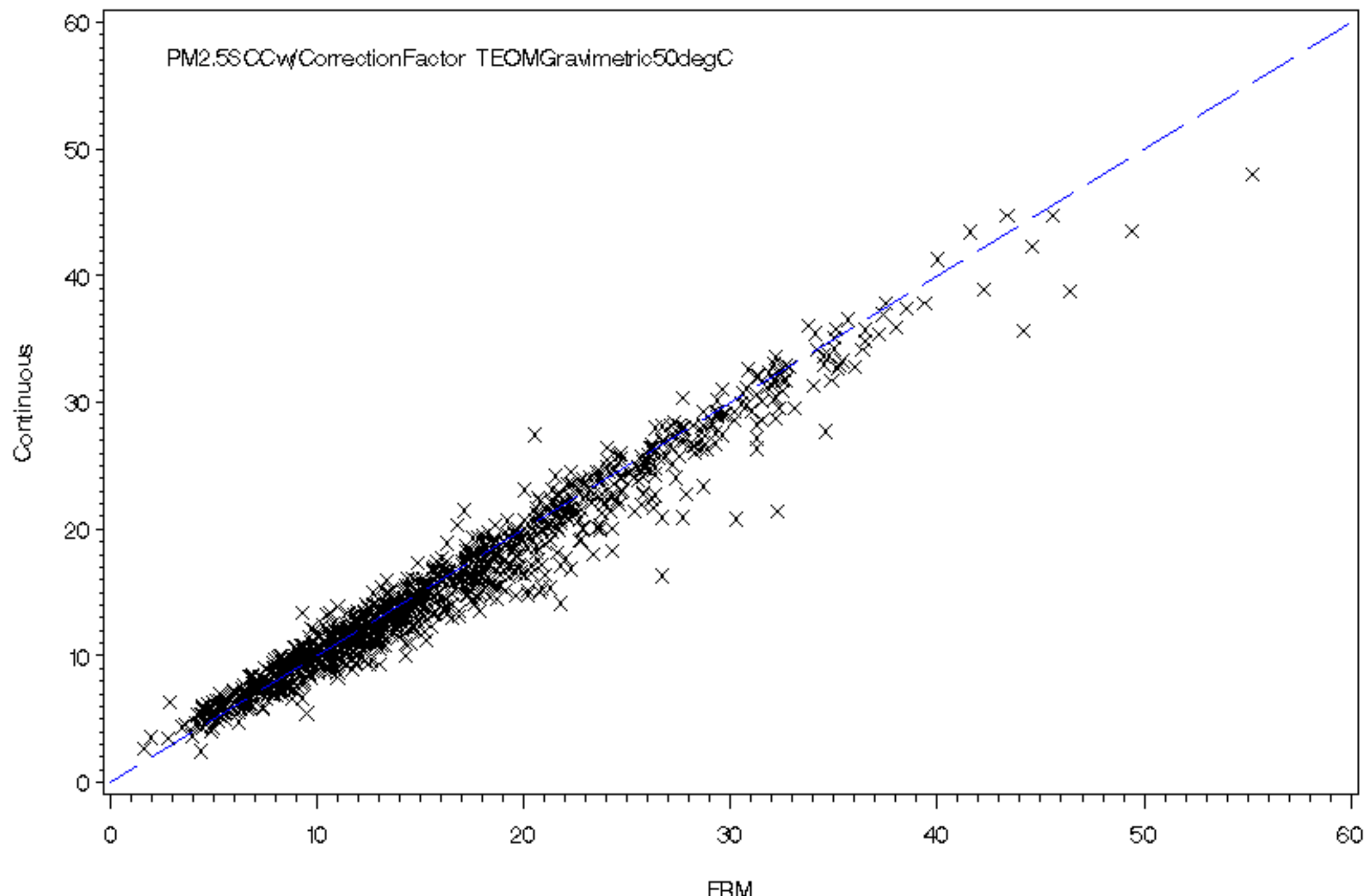
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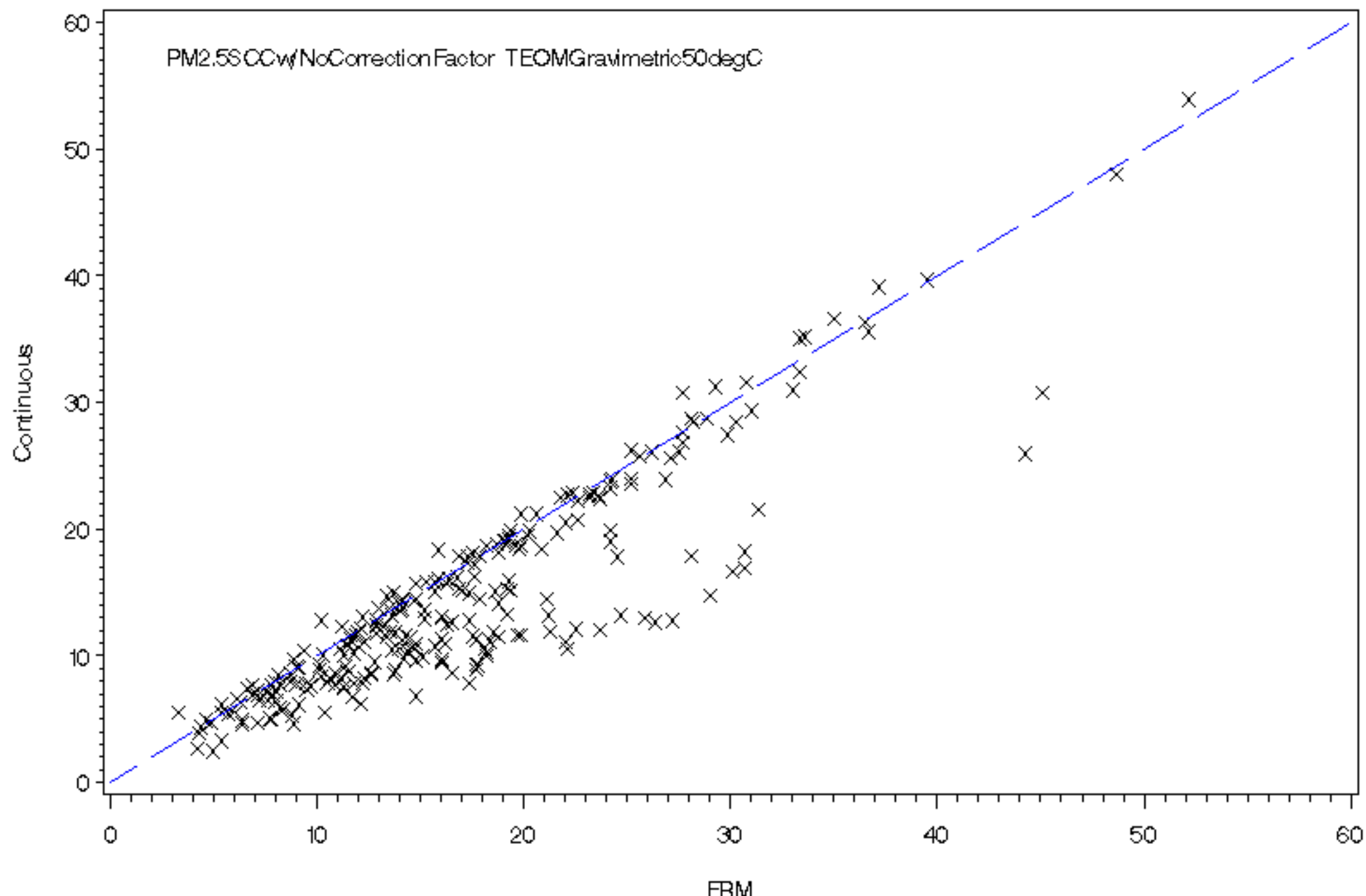
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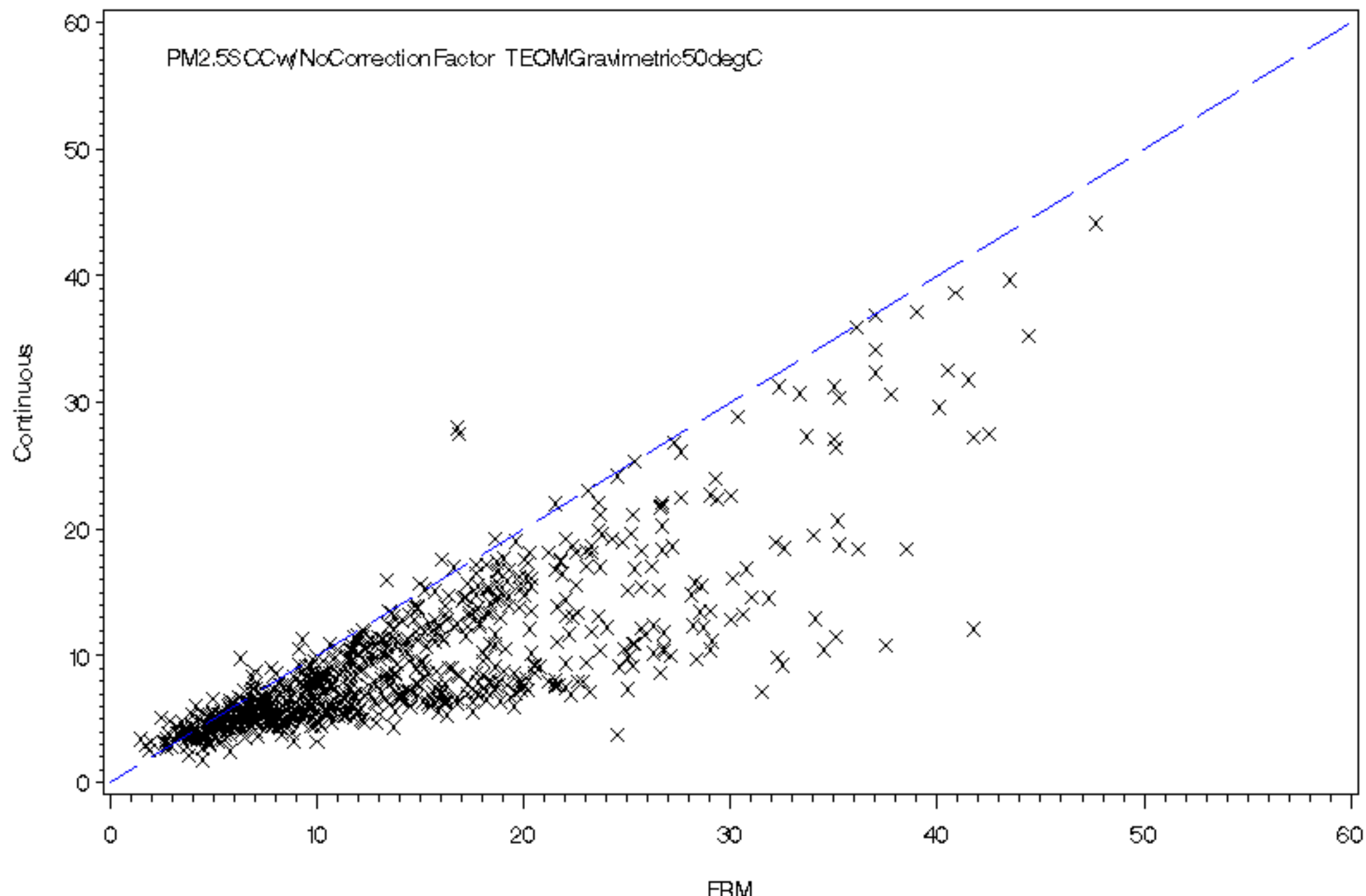
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# GRAND RAPIDS, MI

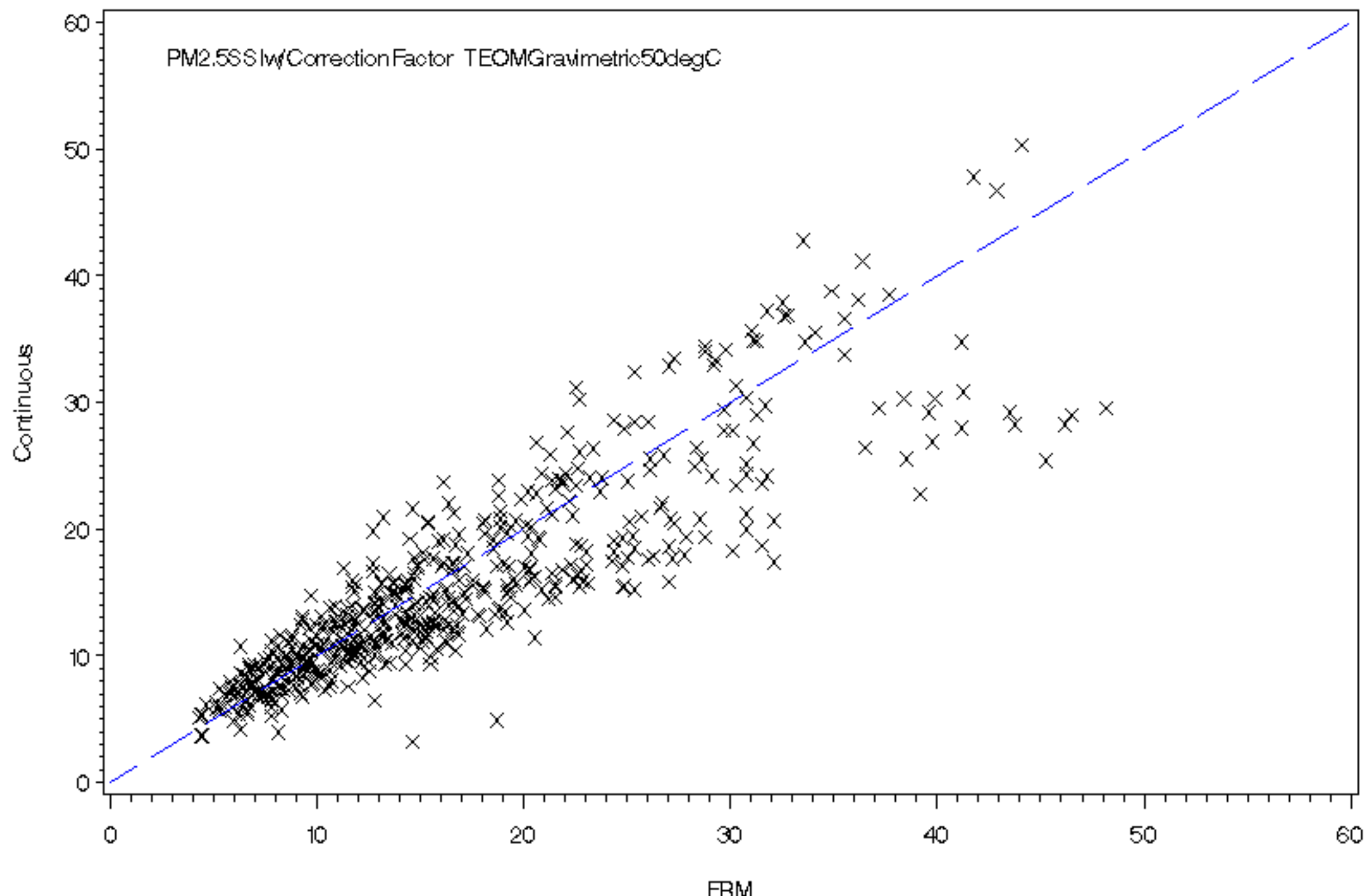
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# NEW YORK CITY, NY

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# Methodology

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## “Knot” Method

**Equation 1** (*if the temperature is less than the value of the knot*)

$$\text{FRM} = \beta_0 + \beta_1 * (\text{avetemp} - \text{knot}) + \beta_3 * \text{cont} + \beta_4 * \text{cont}(\text{avetemp} - \text{knot})$$

where:

**FRM** is the Federal Reference Method measurement

$\beta_0$  is the intercept

$\beta_1$  is the coefficient for the temperature term for temperatures less than the knot

**avetemp** is the daily average temperature

**knot** is the temperature at which the linear relationship between the FRM and continuous measurement changes

$\beta_3$  is the coefficient for the continuous measurement

**cont** is the continuous TEOM measurement

$\beta_4$  is the coefficient of the interaction between the TEOM and temperature measurements for temperature less than the knot



# Methodology

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## “Knot” Method

**Equation 2** (*if the temperature is greater than the value of the knot*)

$$\text{FRM} = \beta_0 + \beta_2 * (\text{avetemp} - \text{knot}) + \beta_3 * \text{cont} + \beta_5 * \text{cont}(\text{avetemp} - \text{knot})$$

where:

**FRM** is the Federal Reference Method measurement

$\beta_0$  is the intercept

$\beta_2$  is the coefficient for the temperature term for temperatures less than the knot

**avetemp** is the daily average temperature

**knot** is the temperature at which the linear relationship between the FRM and continuous measurement changes

$\beta_3$  is the coefficient for the continuous measurement

**cont** is the continuous TEOM measurement

$\beta_5$  is the coefficient of the interaction between the TEOM and temperature measurements for temperature less than the knot



# Methodology

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## ■ Linear Model

- $FRM = \beta_0 + \beta_1 * cont + \beta_2 * spring + \beta_3 * summer + \beta_4 * fall + \beta_5 * cont * spring + \beta_6 * cont * summer + \beta_7 * cont * fall$
- FRM = Federal Reference Method
- Cont = 24 hour avg continuous measurement
- Spring, summer, fall = seasonal variables
- Cont\*spring, cont\*summer, cont\*fall = interaction terms

# Results

## "Knot" Model

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- Continuous parameter ( $\beta_3$ ) usually close to 1
- Temperature > "Knot" interaction term ( $\beta_5$ ) usually not statistically significant
- Temperature < "Knot" interaction term ( $\beta_4$ ) usually statistically significant
- Knot
  - Median: 15.4° C



# Results

## Seasonal Linear Model

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- $R^2$  comparable to “Knot” model
- Surrogate for temperature in “Knot” model
- Disadvantage
  - Changes in season from fitting data change relationship between FRM and continuous measurement

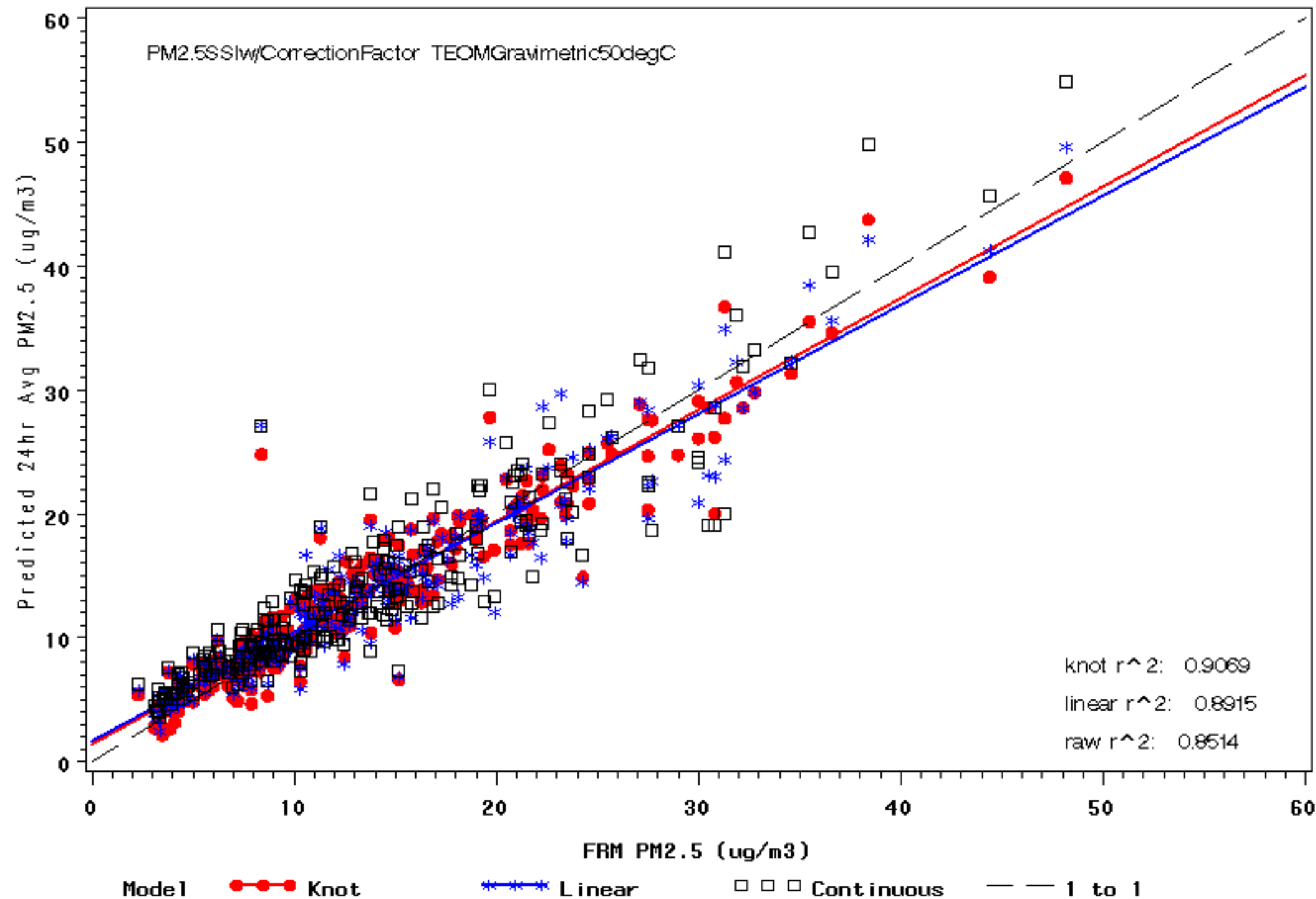


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# Examples of Model Fits Using Data Models Constructed From

# NEW YORK CITY, NY

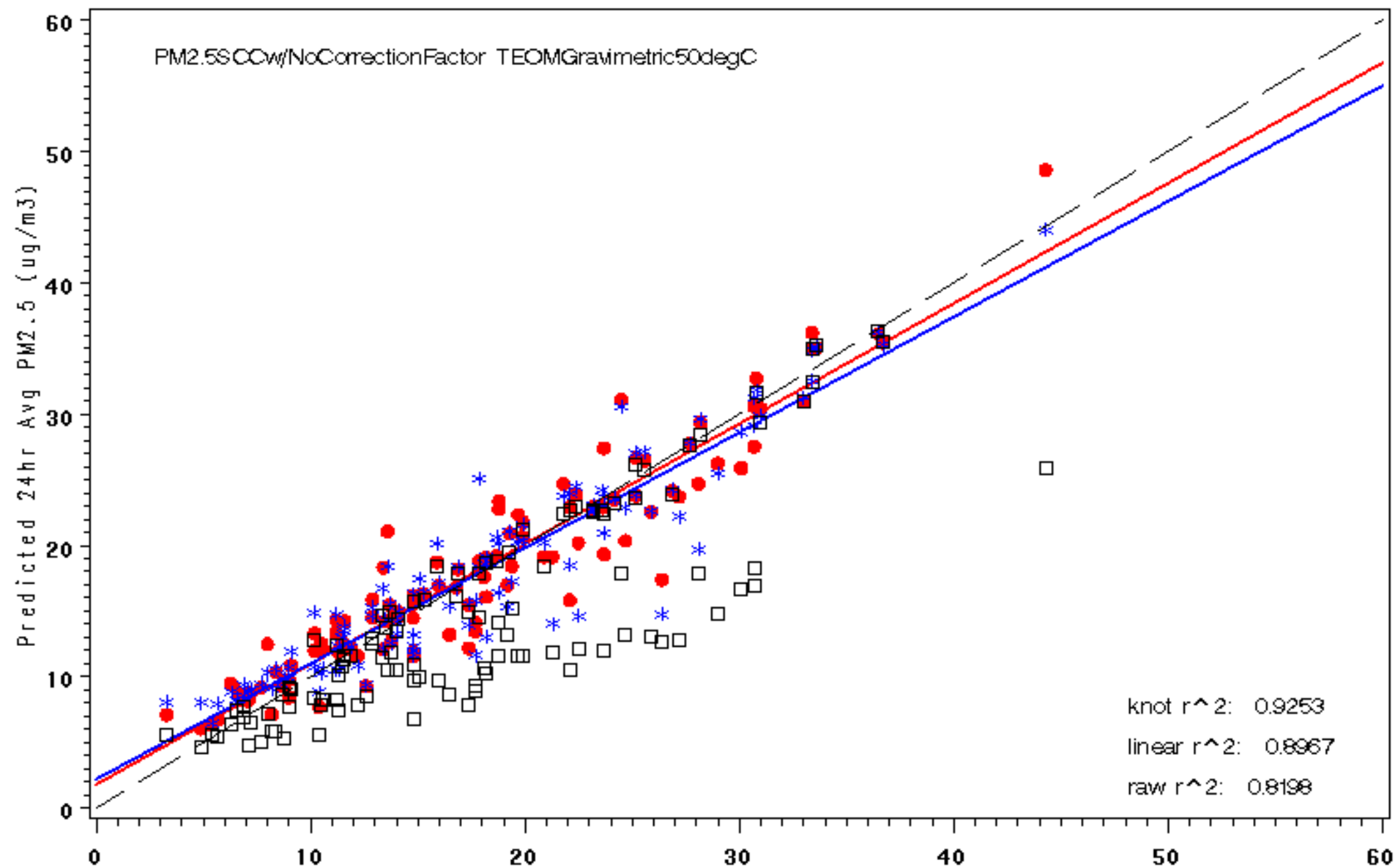
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Model Knot

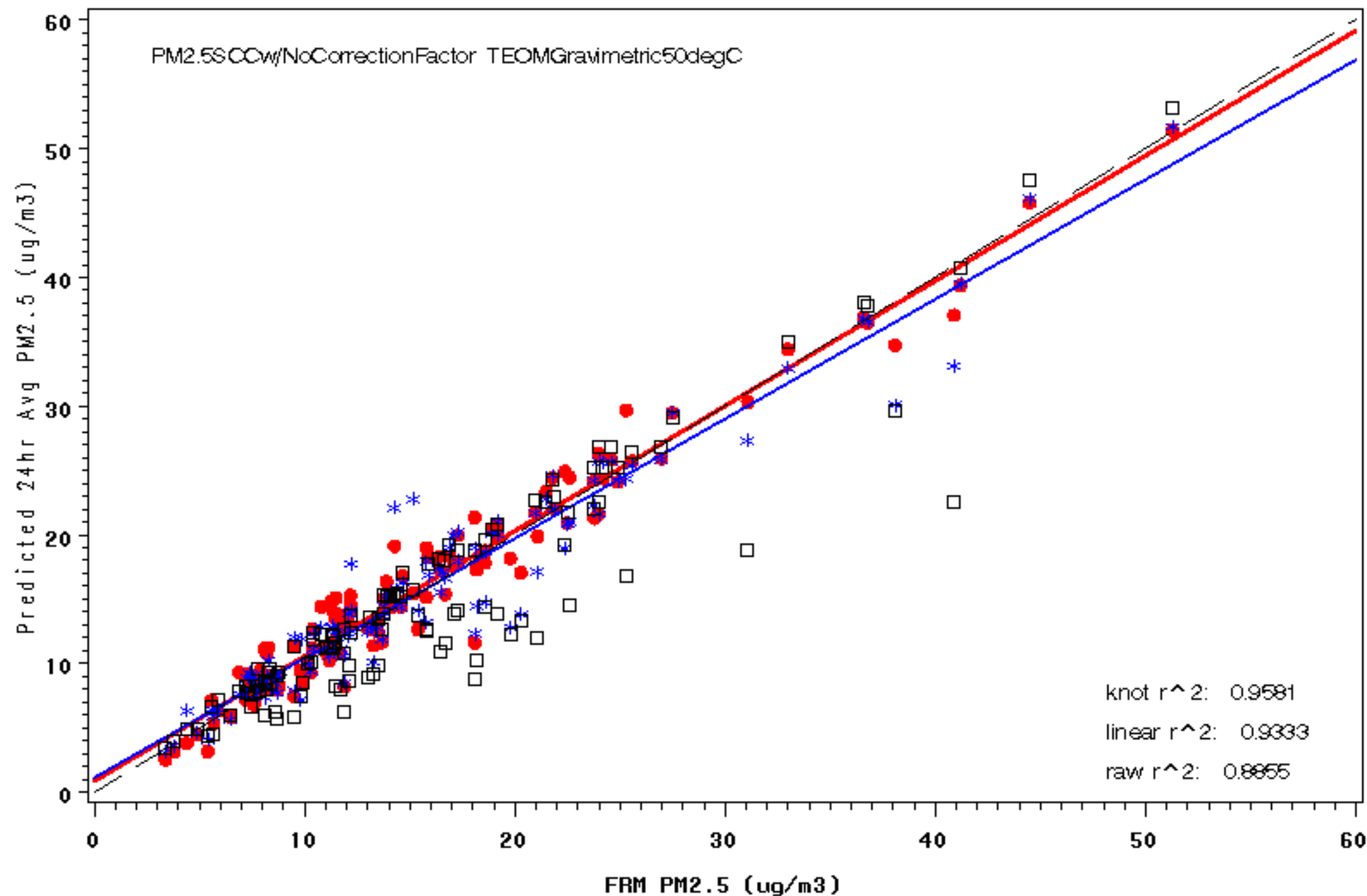
Linear

Continuous

1 to 1

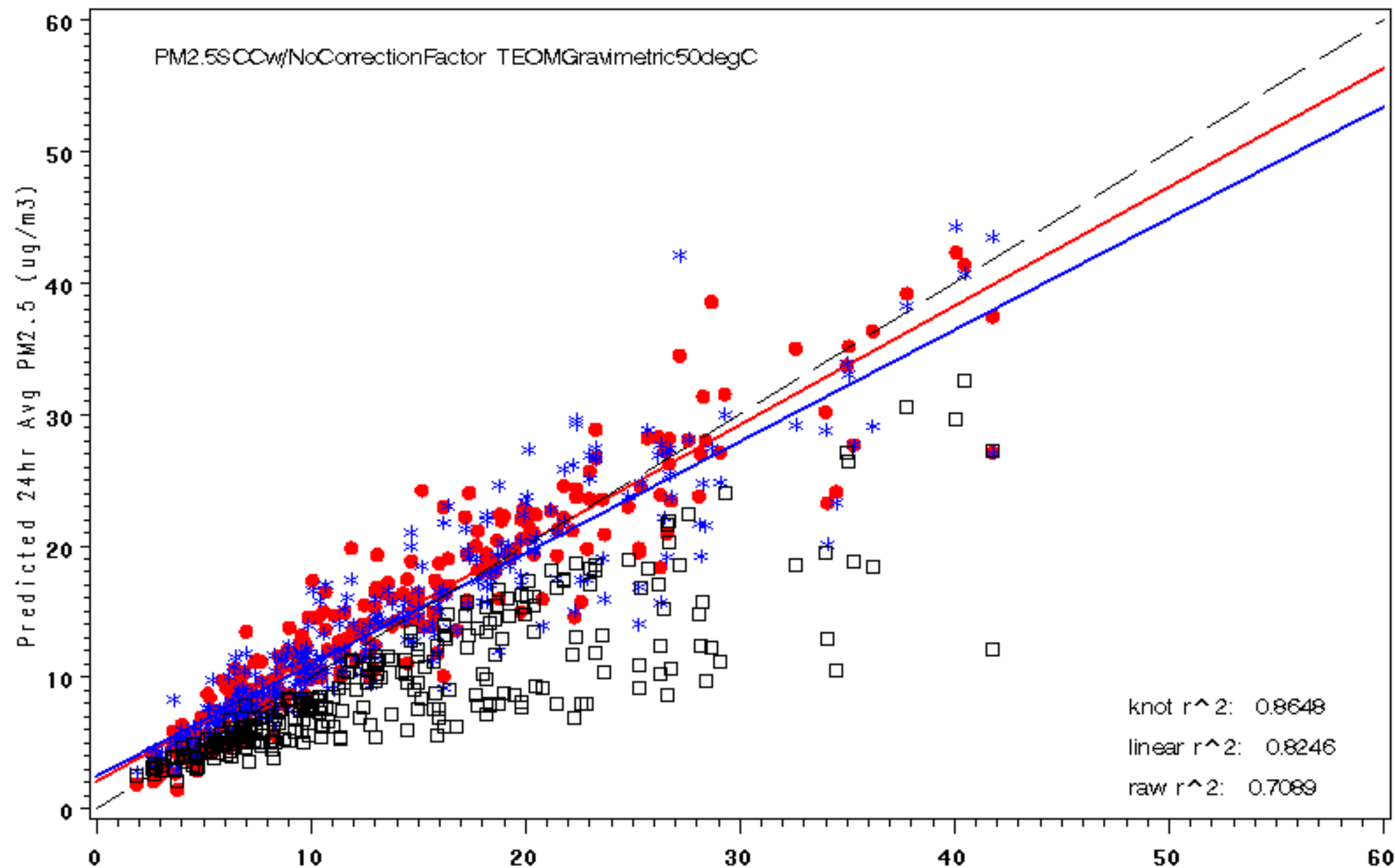
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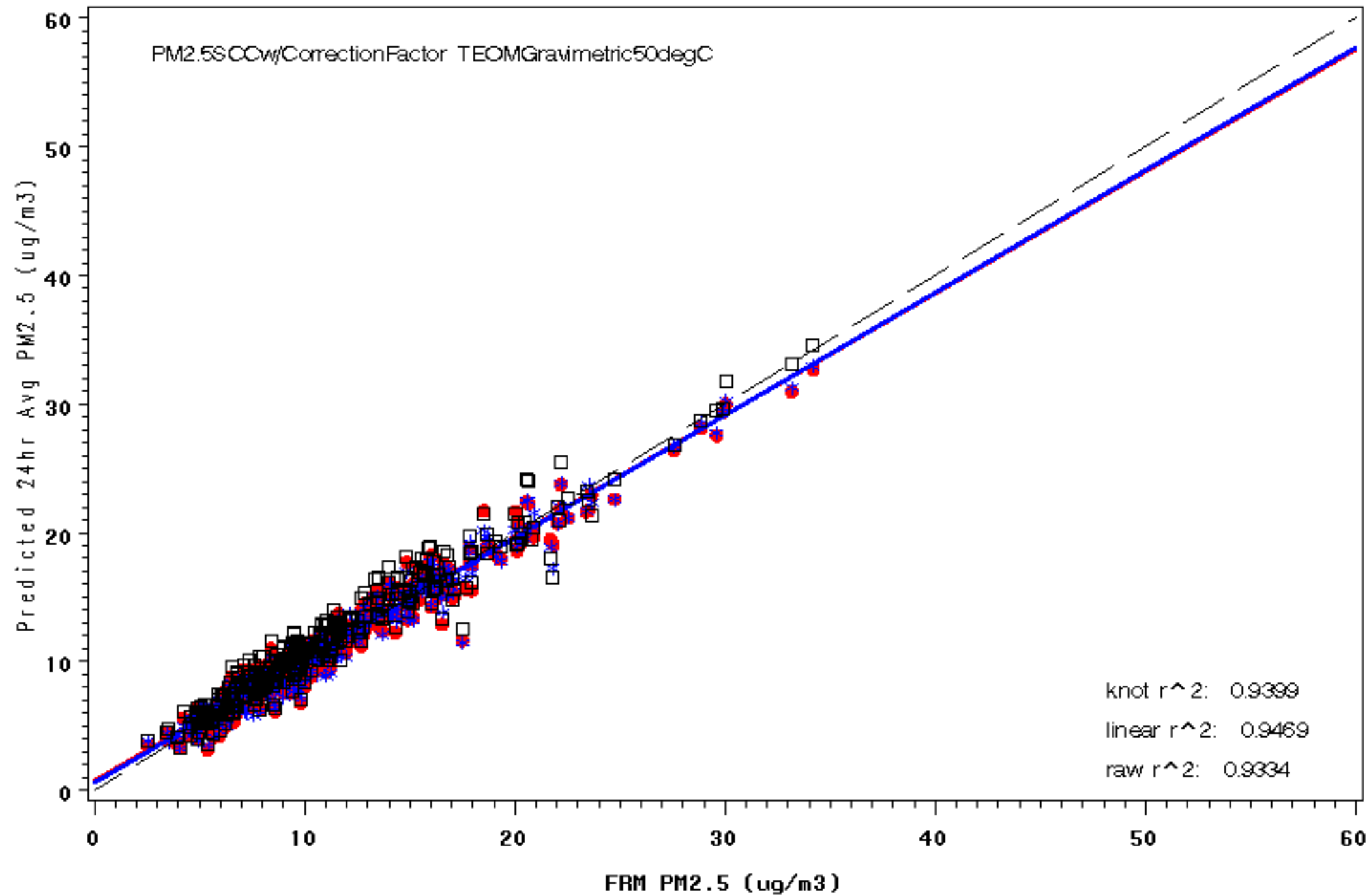
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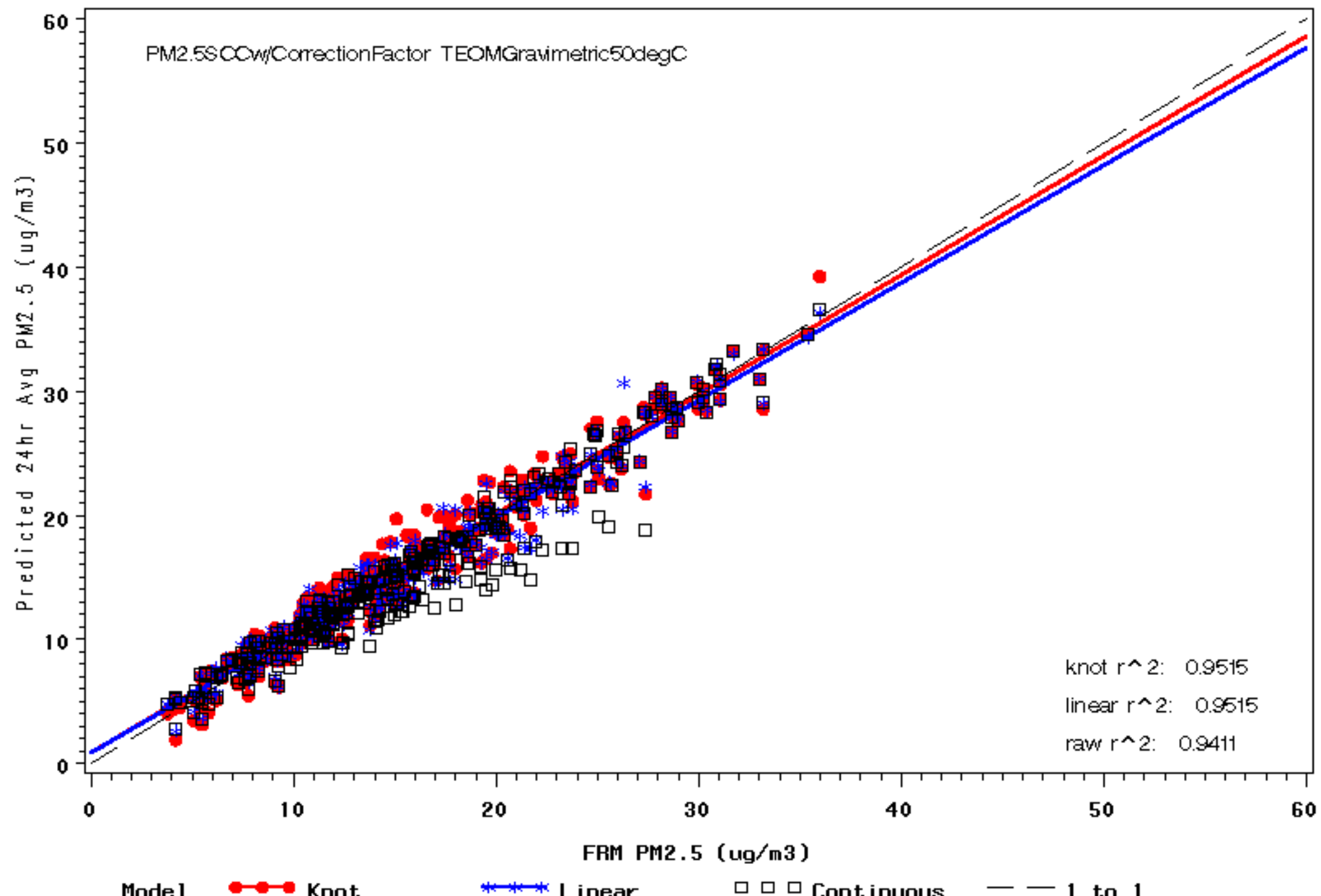
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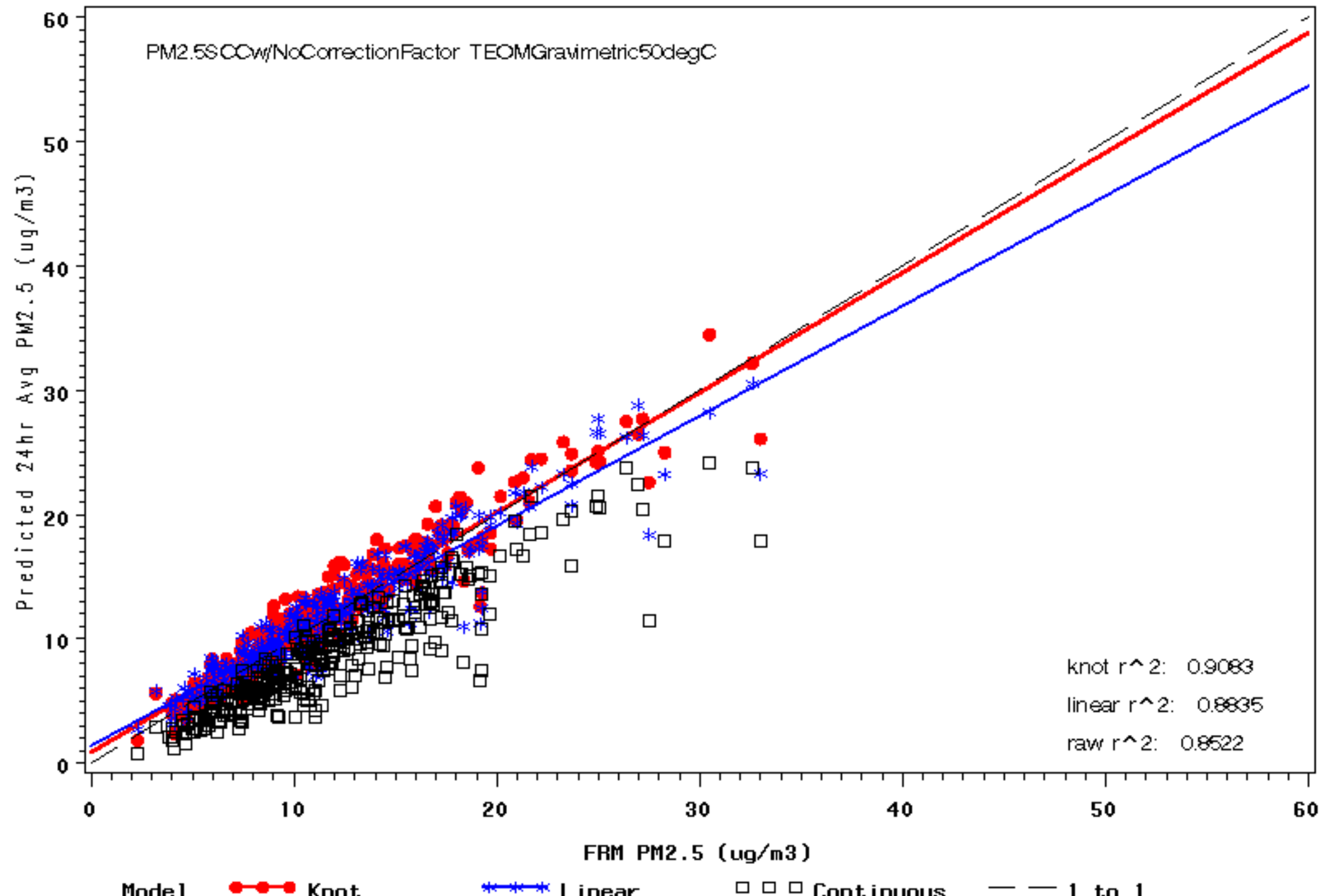
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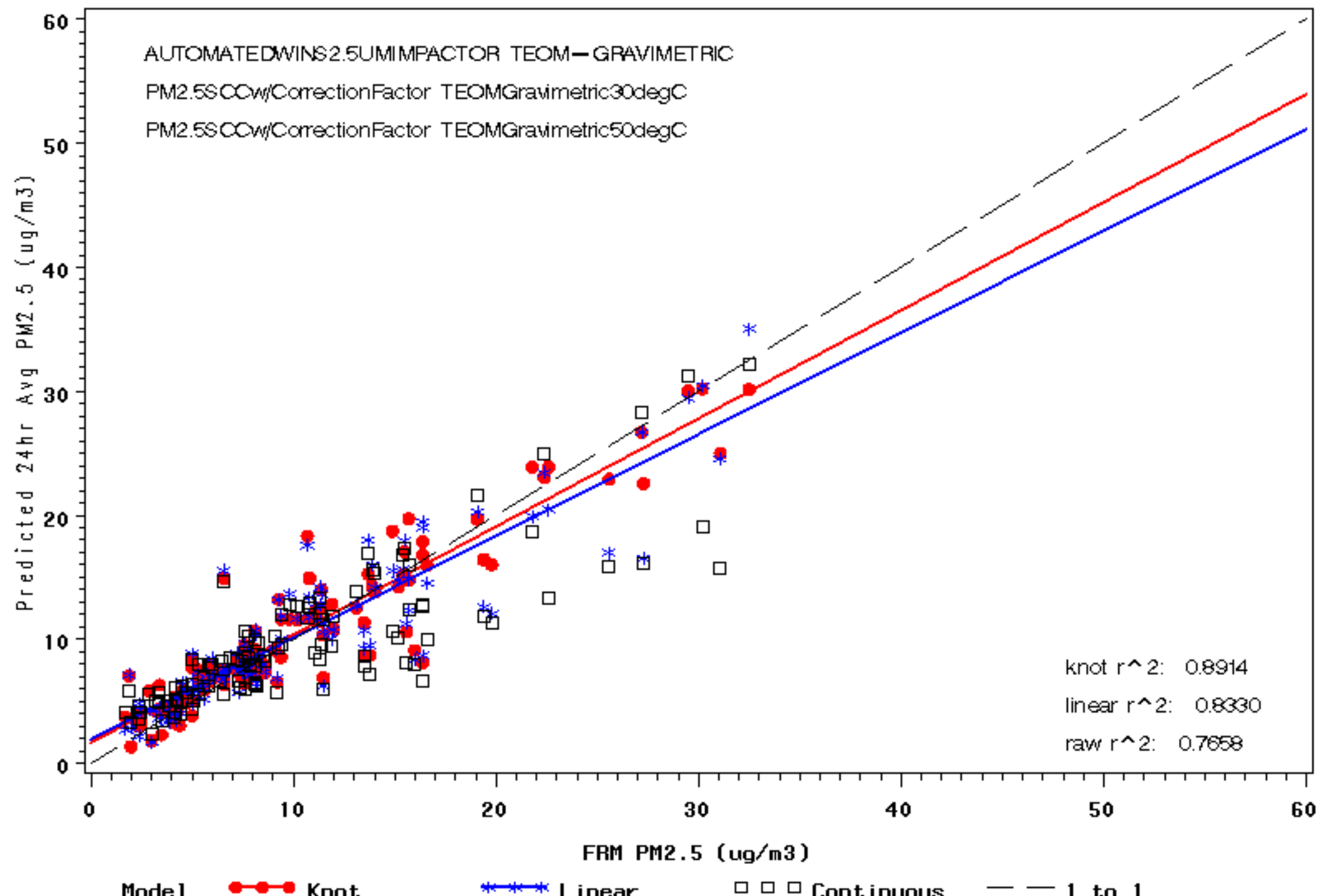
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# KEOSAUQUA, IA

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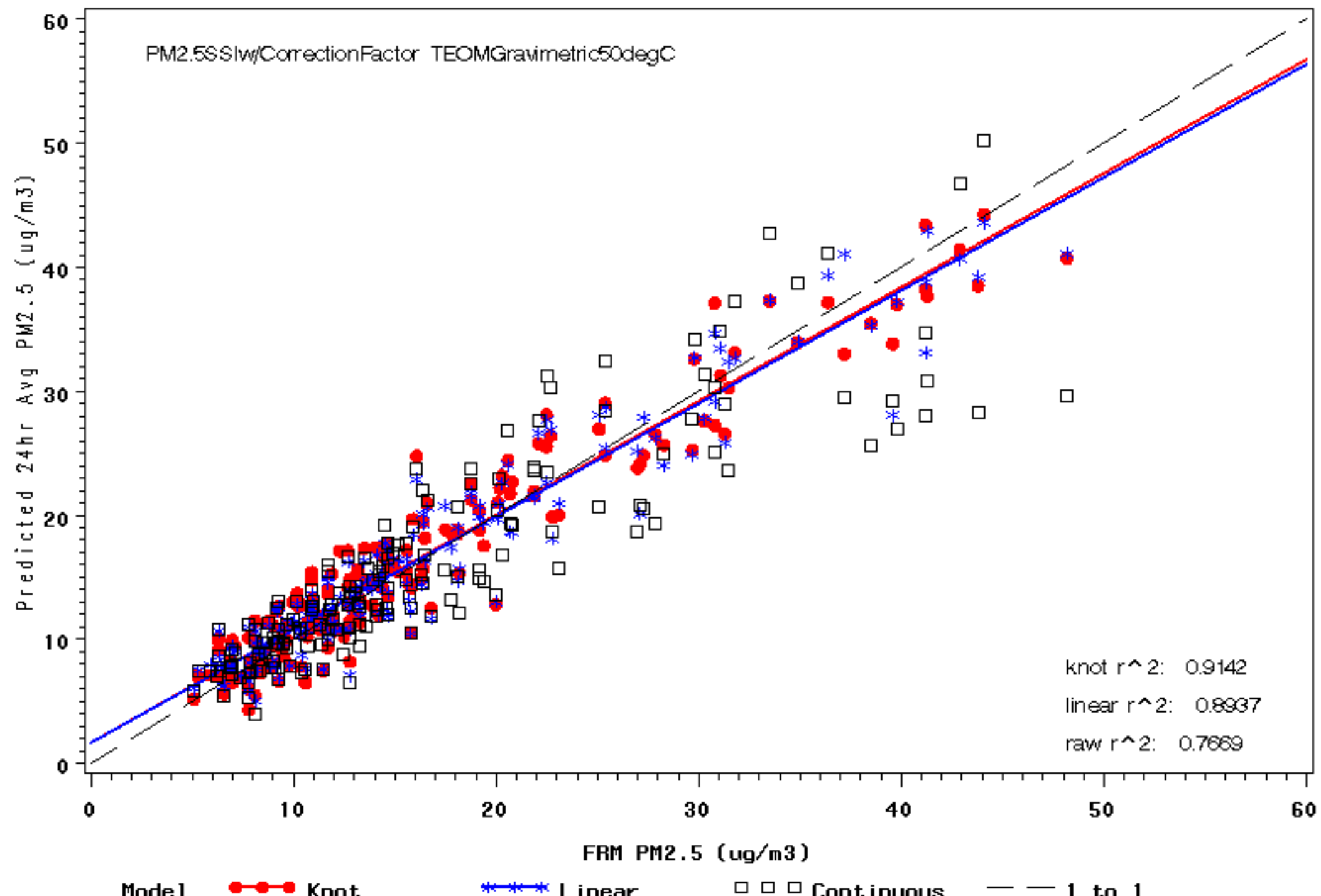
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# Examples of Validation Using “Extra” Data



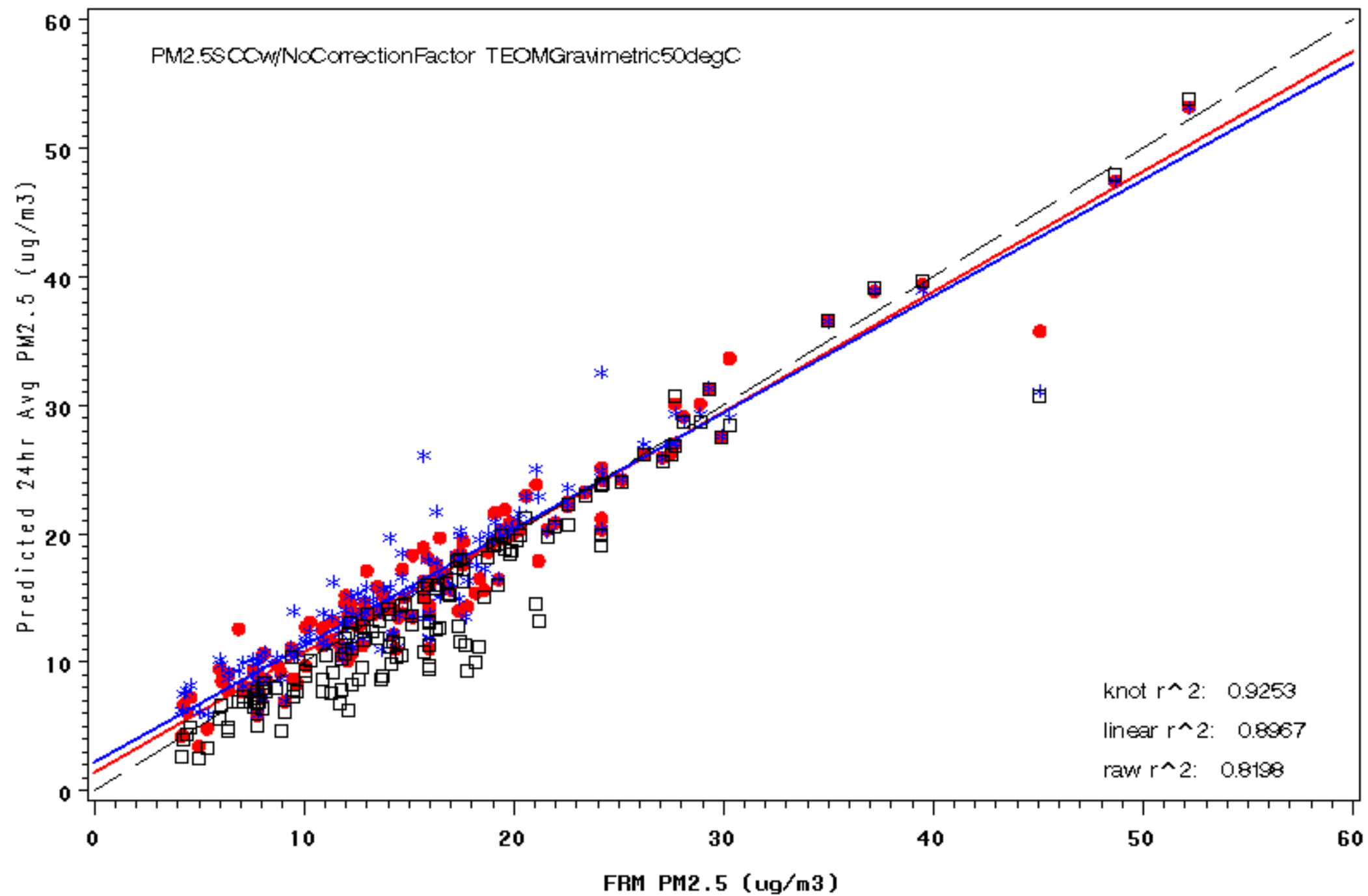
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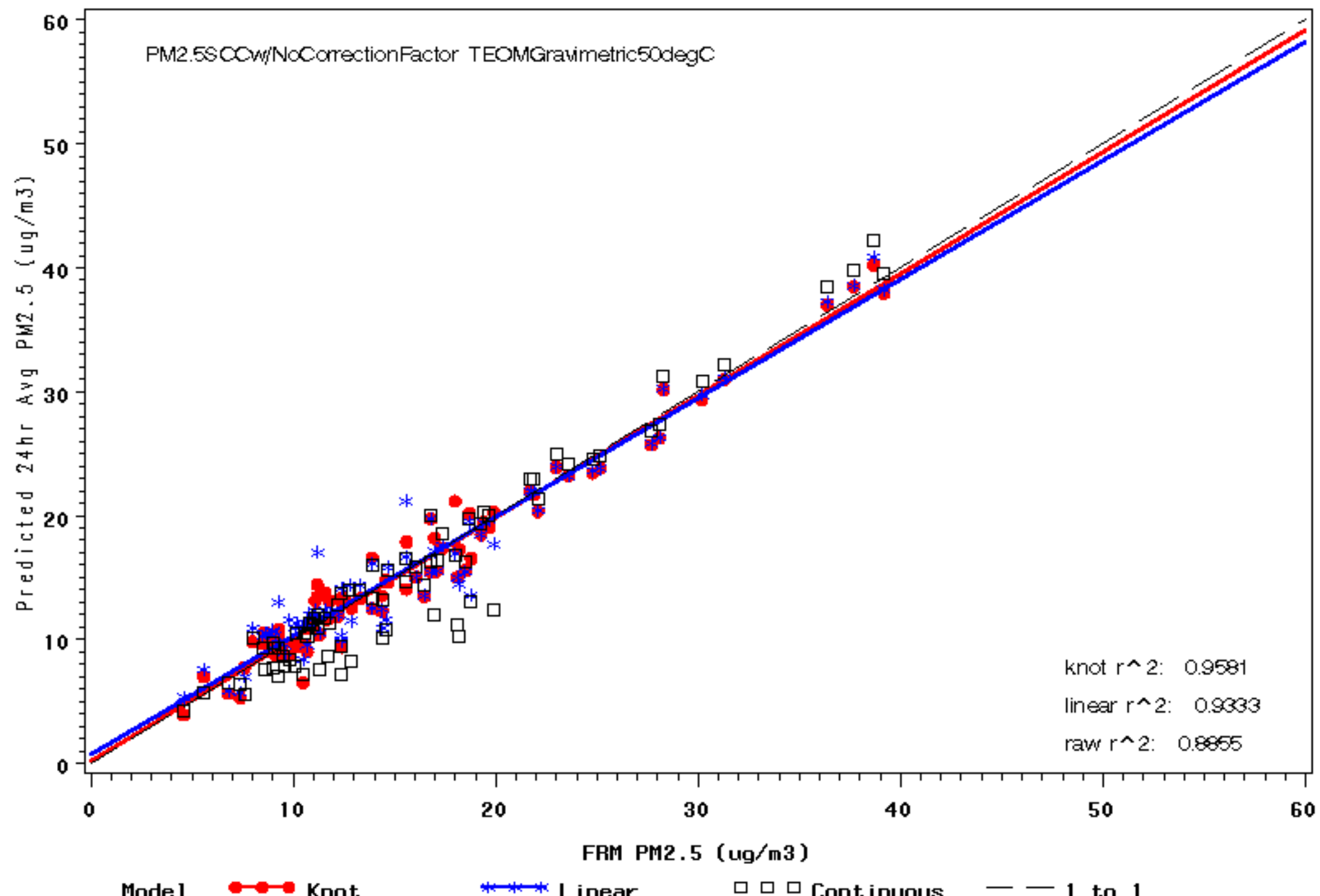
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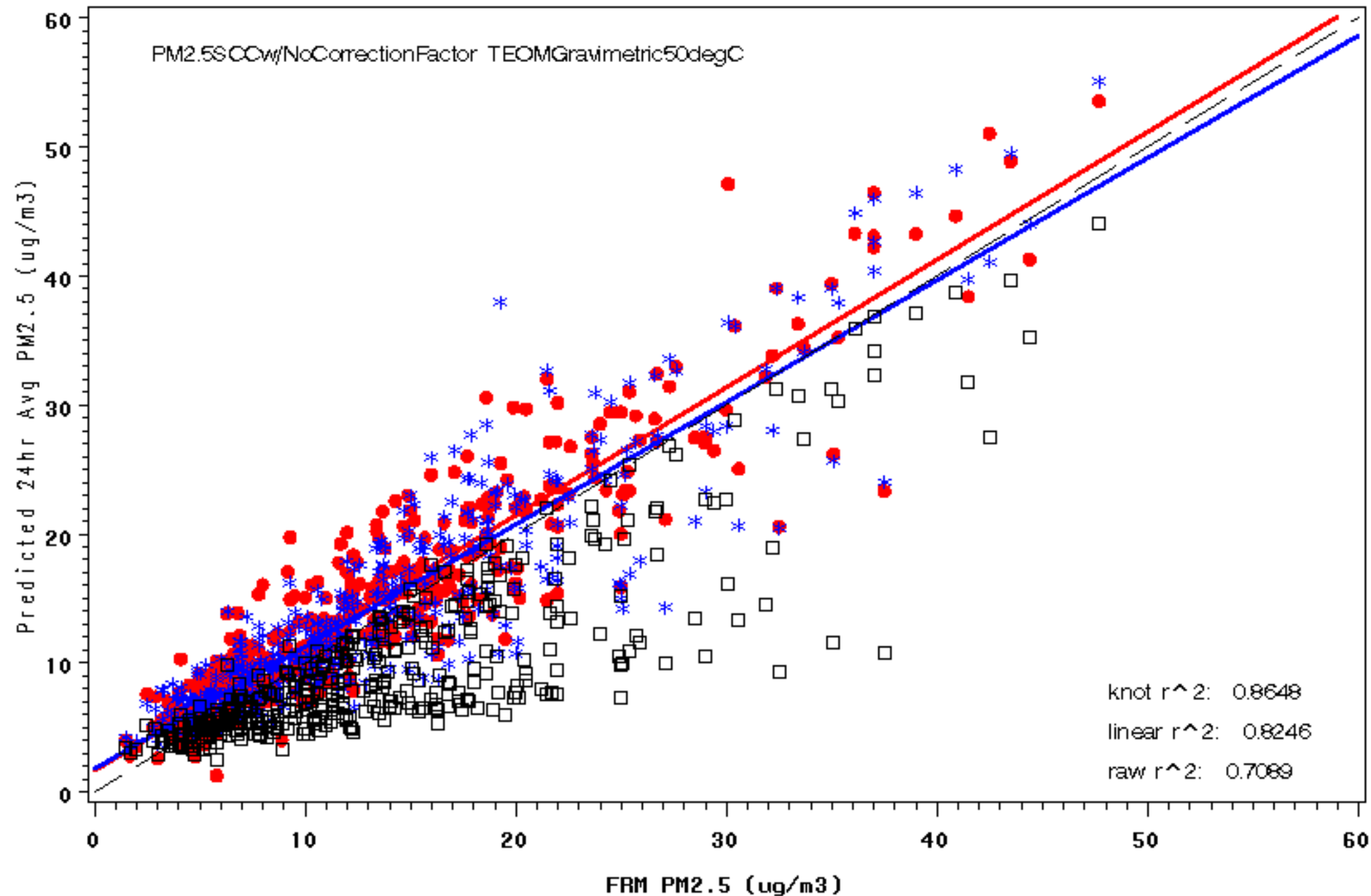
## CINCINNATI, OH

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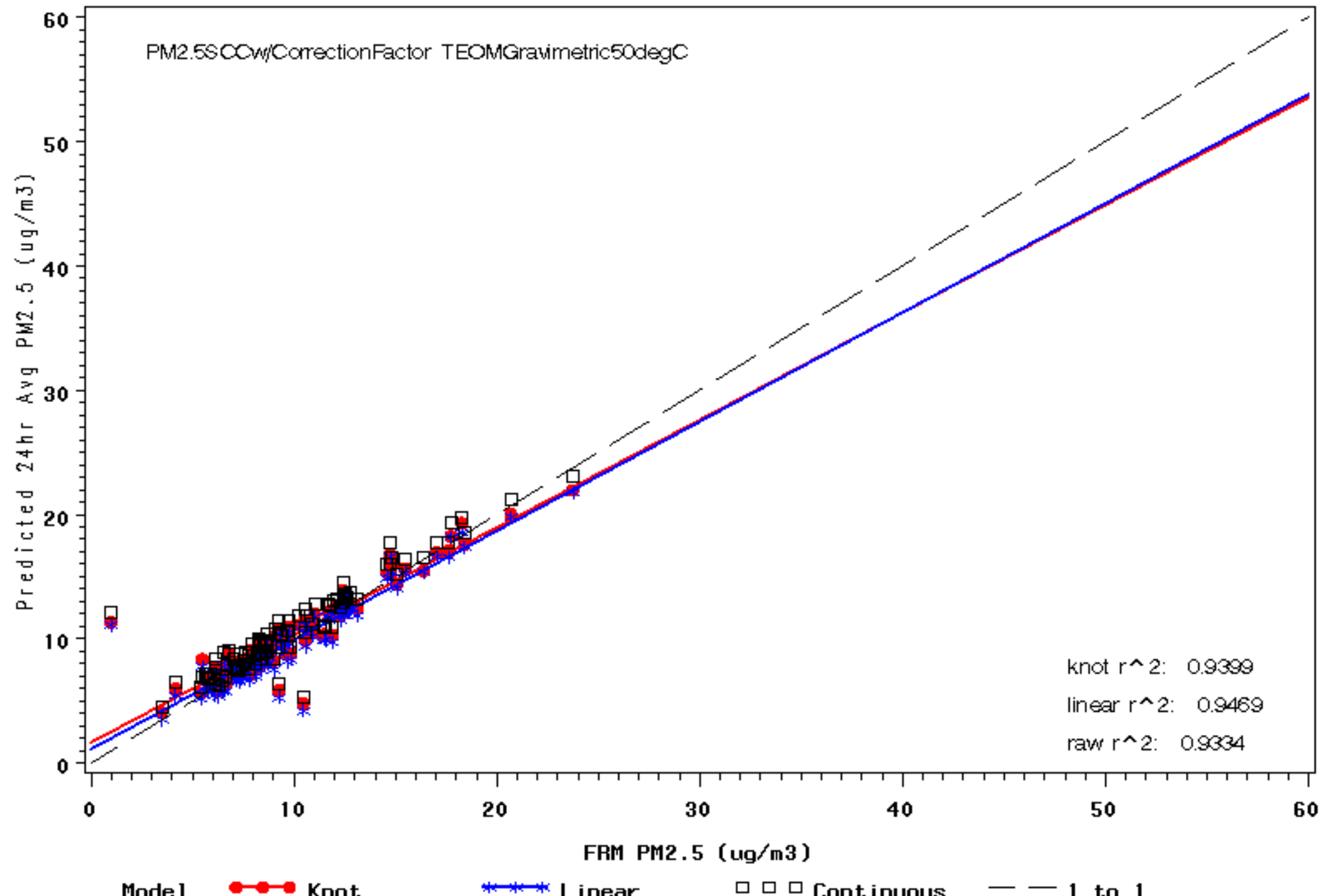
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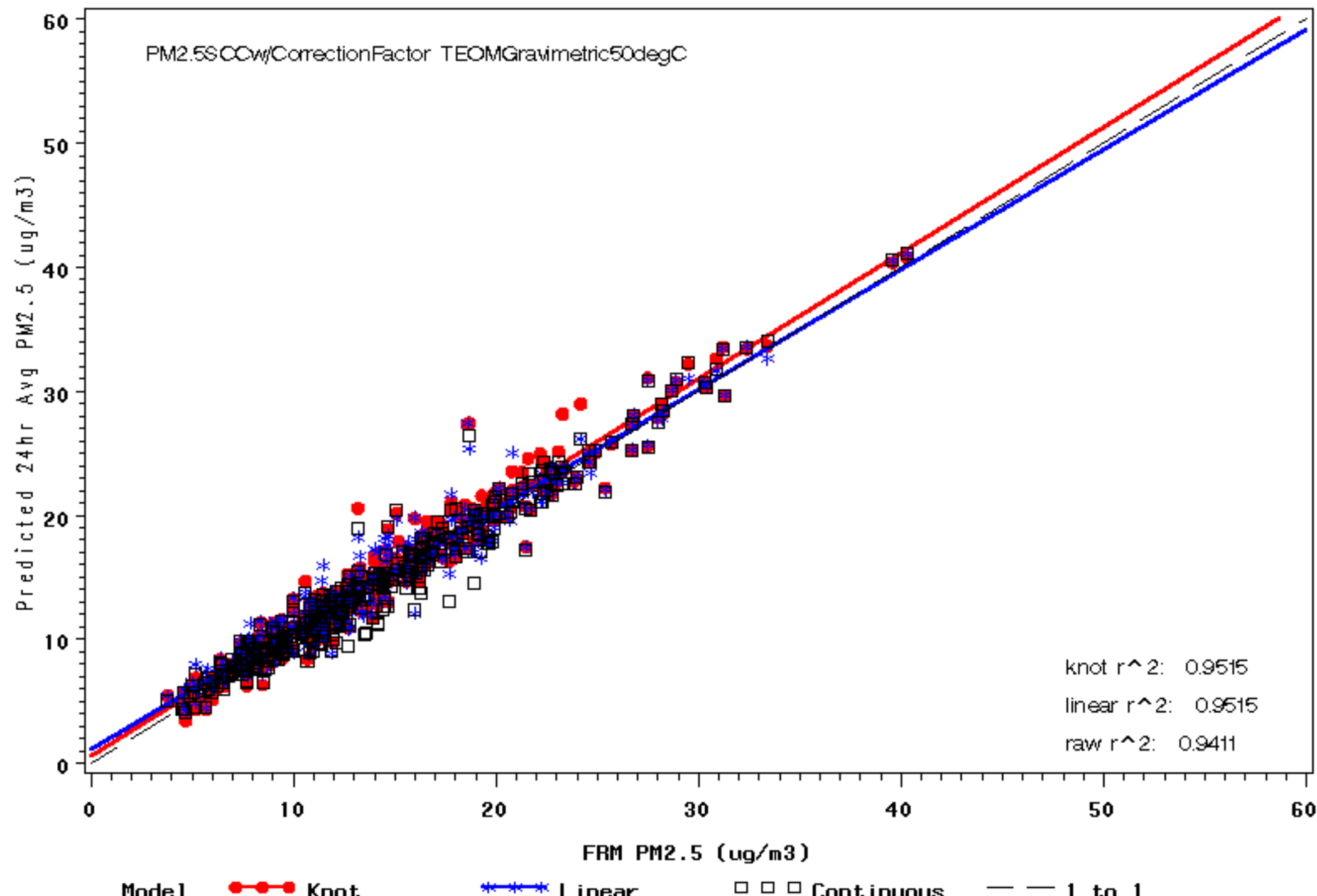
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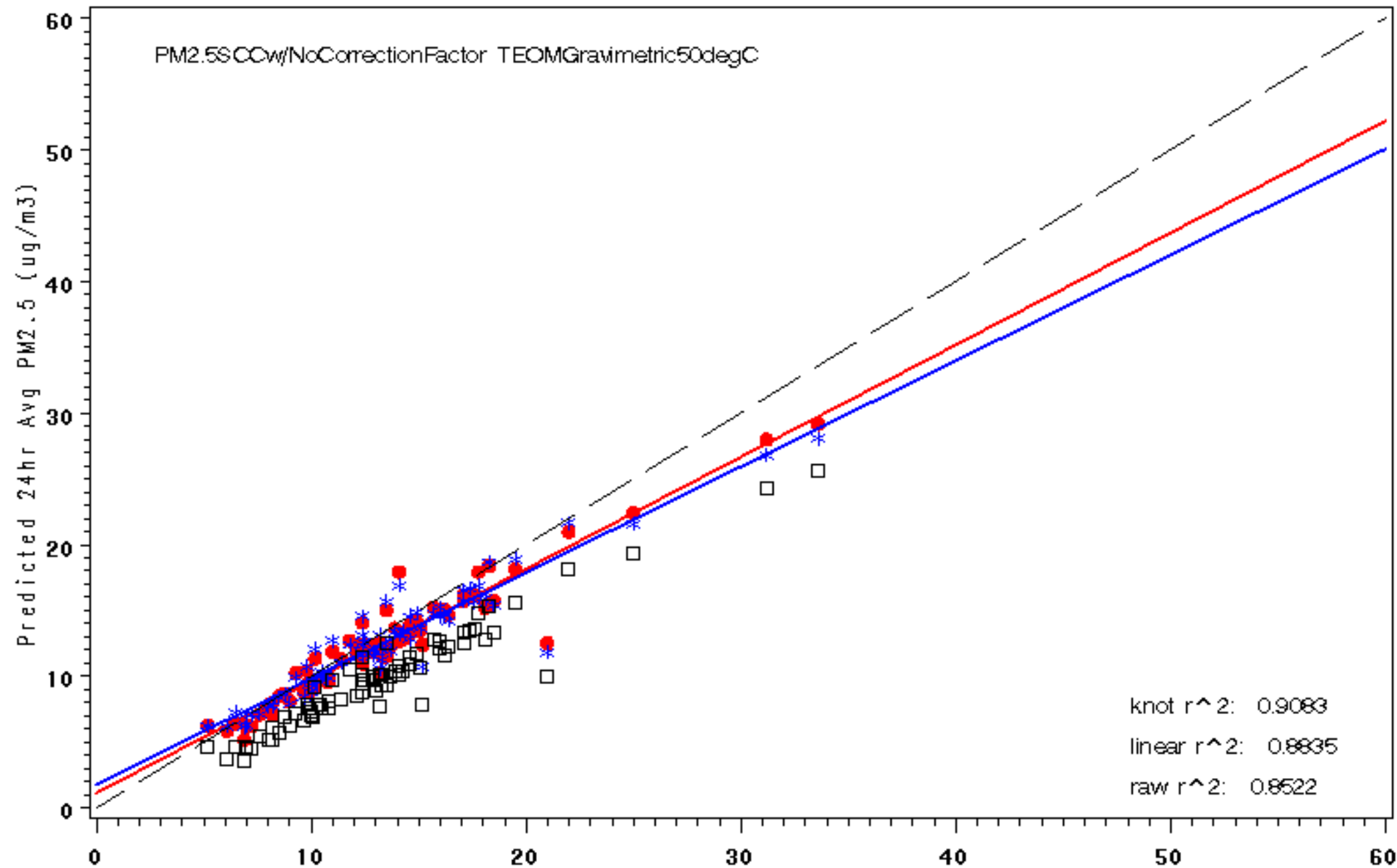
# CHARLOTTE, NC

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# FORT WORTH, TX

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Model Knot

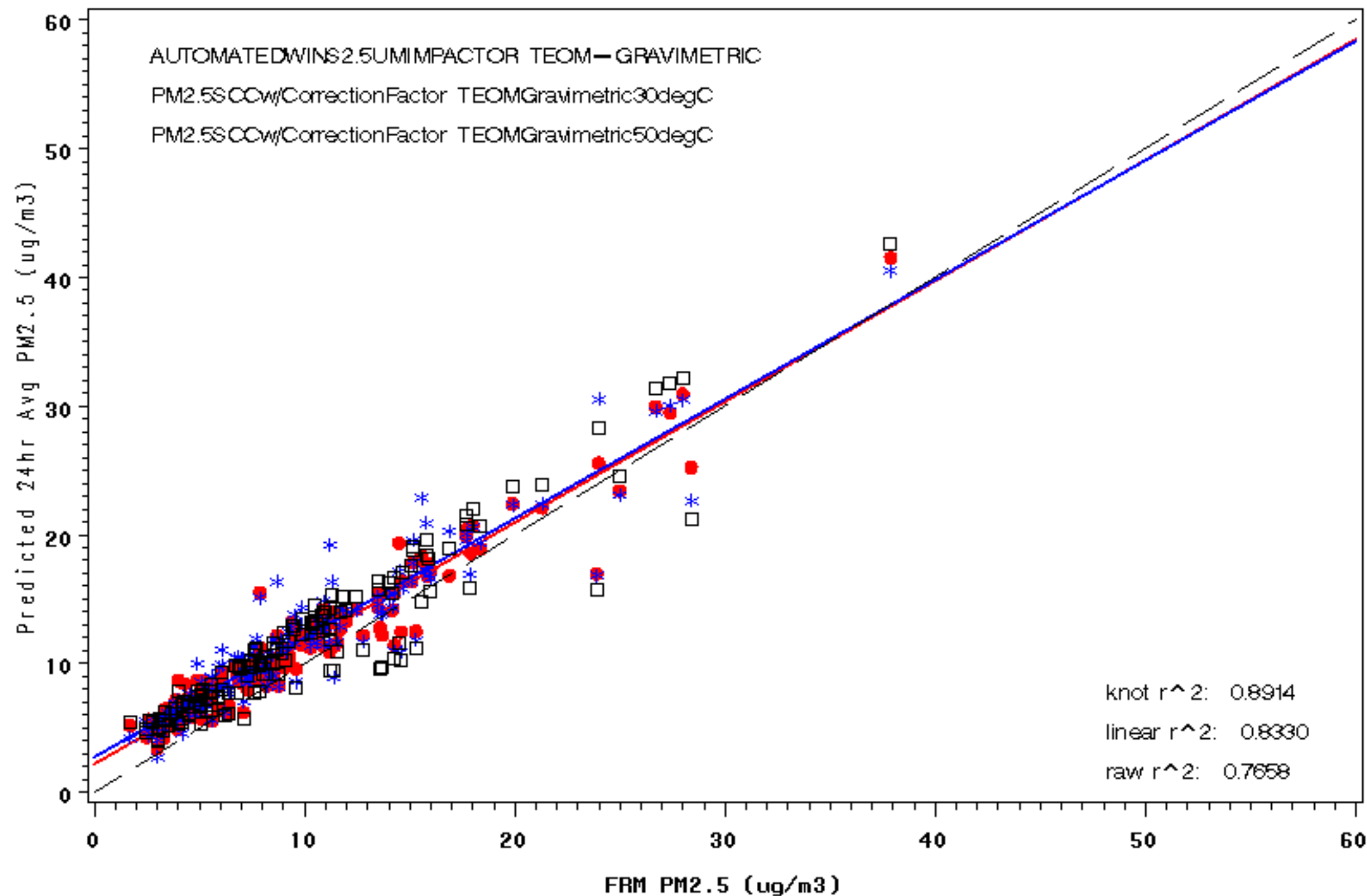
Linear

Continuous

1 to 1

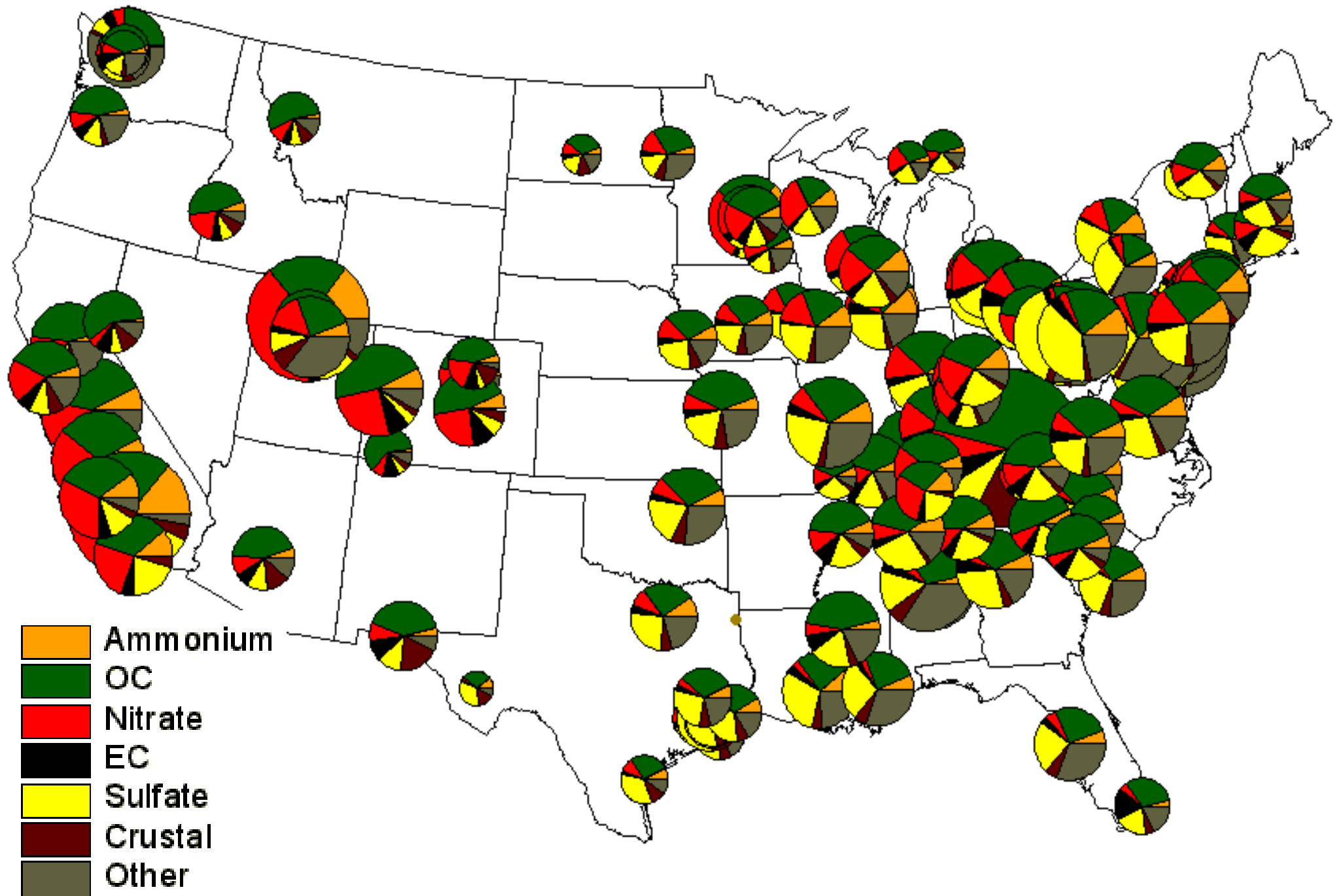
# KEOSAUQUA, IA

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# 2001 Fine Particulate Speciation Concentrations





# Conclusions

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- “Knot” and seasonal linear method satisfy DQO requirements
- Some sort of seasonal adjustment necessary in areas with nitrate problem
- “Knot” and seasonally adjusted linear models comparable
  - Linear model surrogate for “Knot” model
- Uncertainty about seasonally adjusted linear model under changing conditions



# Conclusions

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- Need for more data
  - Other monitoring technologies
  - Validation purposes
- Need for consistent national operating procedures across methodologies is **ESSENTIAL**
- Statistical transformation is temporary solution
  - Need technological solution implemented consistently across country
    - No change in data by use of various transformations across States
    - Better ensures data consistency and quality across States